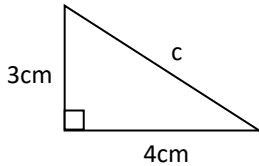


RIGHT ANGLE TRIANGLES - (DON'T FORGET AREA = ½ BASE X HEIGHT)

If a triangle has a **right angle triangle**, use **Pythagoras** or **SOH CAH TOA**

PYTHAGORAS' THEOREM find missing **lengths** only $a^2 + b^2 = c^2$

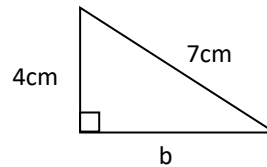
Hypotenuse is the side opposite the right angle and the longest side



$$c^2 = 3^2 + 4^2$$

$$c^2 = 9 + 16$$

HYPOTENUSE ADD



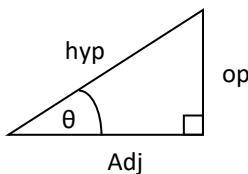
$$7^2 = 4^2 + b^2$$

$$b^2 = 7^2 - 4^2$$

SHORT SIDE SUBTRACT

Pythagoras Theorem $c^2 = a^2 + b^2$ The square of the hypotenuse is equal to the sum of the square of the two shortest sides.

TRIGONOMETRY for questions **with**, or requiring an **angle**



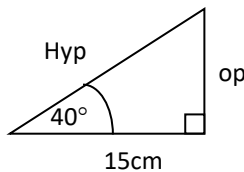
for **angle ϑ** ,
 Hyp = hypotenuse
 Opp = opposite side
 Adj = Adjacent side

FINDING LENGTHS USE SIN, COS, TAN

FINDING ANGLES USE SIN^{-1} , COS^{-1} , TAN^{-1}

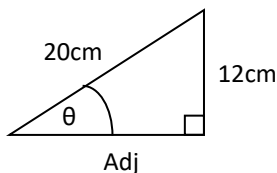
$$\text{Sin } \vartheta = \frac{\text{Opp}}{\text{Hyp}}, \quad \text{Cos } \vartheta = \frac{\text{Adj}}{\text{Hyp}}, \quad \text{Tan } \vartheta = \frac{\text{Opp}}{\text{Adj}} \quad \text{SOH CAH TOA}$$

Find the **length** of the hypotenuse side and Opposite side.



We know the Adjacent side = 15cm Angle = 40° **SOH CAH TOA**

- To calc Opposite side, use $\text{Tan } \vartheta = \frac{\text{Opp}}{\text{Adj}}$
 $\text{Tan } 40^\circ = \frac{\text{Opp}}{15}$ $15 \times \text{Tan } 40^\circ = \text{Opp}$ $\text{Opp} = 12.59\text{cm}$
- To calc Hypotenuse side use. $\text{Cos } \vartheta = \frac{\text{Adj}}{\text{Hyp}}$
 $\text{Cos } 40^\circ = \frac{15}{\text{Hyp}}$ $\text{Hyp} = \frac{15}{\text{cos } 40^\circ}$ $\text{Hyp} = 19.58\text{cm}$



Calculate the Adjacent side and angle θ .

We know, the Hypotenuse and opposite side **SOH CAH TOA**

- To calc Adj side use Pythagoras Theorem
 $\text{Adj}^2 = 20^2 - 12^2$ $\text{Adj} = 16$

- To calc size of angle θ . Use $\text{Sin } \vartheta = \frac{\text{Opp}}{\text{Hyp}}$
 $\text{Sin } \theta = \frac{12}{20}$ $\theta = \text{Sin}^{-1} \frac{12}{20}$ $\theta = 36.87^\circ$

Need the angle ϑ , use Sin^{-1} to get rid of Sin